

 $\Phi \text{ Function RBF (Radial Basis Function) is given equation below. Where <math>(c_j)$  is the center points which represents data,  $(x_i)$  is the data points.  $\Phi$  Function is the exponantial affect of the distance between  $(c_j)$  and  $(x_i)$  $\Phi(x) = \exp\left(-\frac{\|c_j - x_i\|^2}{2r^2}\right)$ Unit ORHAN, PhD.

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## **RBF** Networks

Neurons in hidden layer are calculated as in below equation, where  $x_i$  is the data point from input with no weight,  $c_j$  is the prototype hidden in the neuron. Simply it is a Euclidian distance.

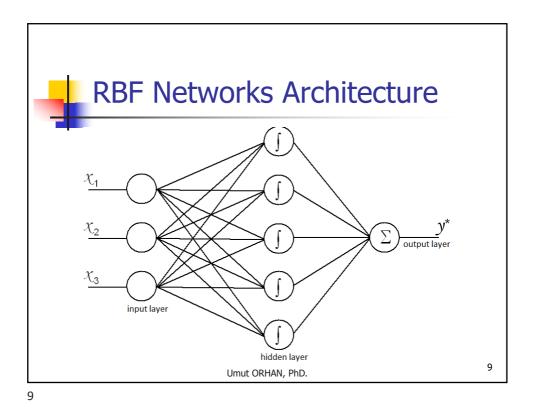
$$d = \left\| c_j - x_i \right\|$$

After that this distance is evaluated in Radial Basis Function.

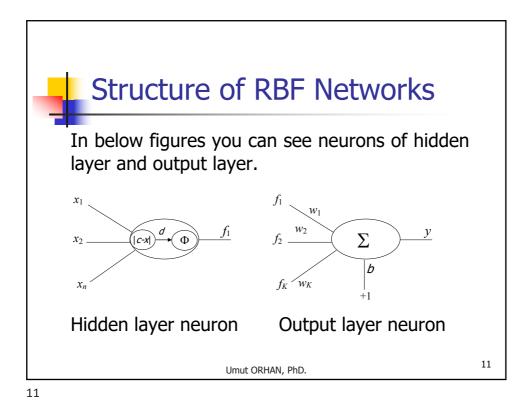
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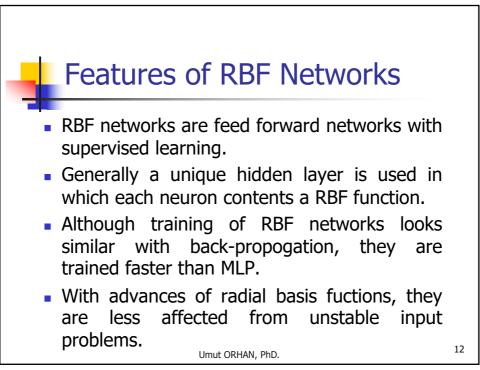
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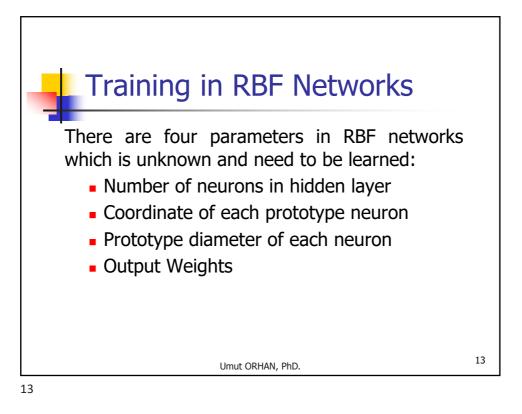
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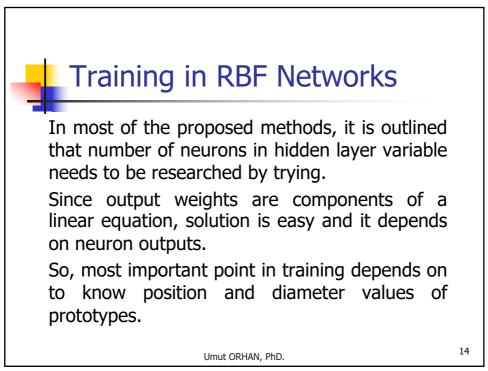


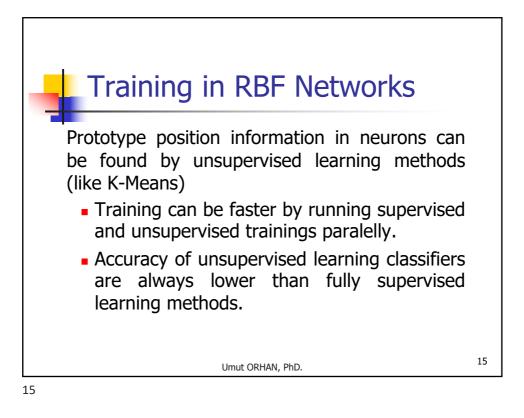
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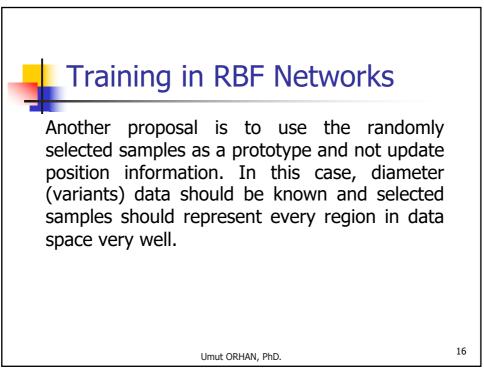


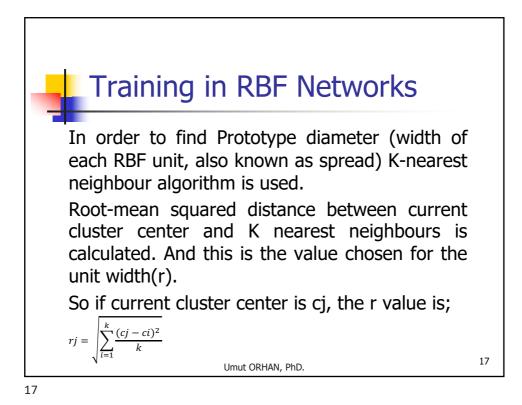


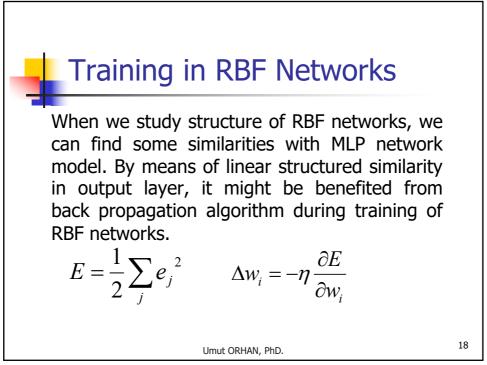














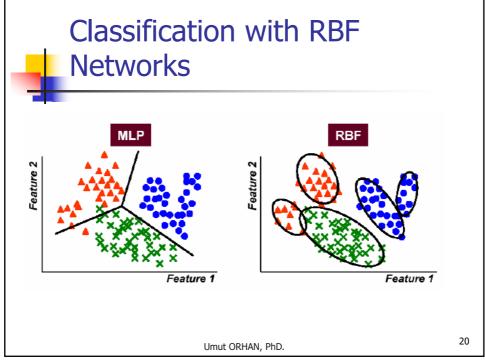
Output weights are updated with back propagation training and update quantities of function exits in hidden layer neurons can be predicted. This can be used indirectly in update of prototype diameter values and protoype coordinates.

$$\Delta c_{i} = -\eta \frac{\partial E}{\partial c_{i}} \qquad \Delta r_{i} = -\eta \frac{\partial E}{\partial r_{i}}$$

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